

Accumulator can be defined by following input and output relationship.

$$y[n] = \sum_{k=-\infty}^n x(k)$$

Determine its output under the condition:

- i) It is initially relaxed
- ii) Initially  $y(-1) = 1$

4. State and prove initial and final value theorem for z transform.

5. a) If Laplace transform of  $x(t)$  is  $\frac{(s+2)}{(s^2+4s+5)}$   
Determine Laplace transform of

$$y(t) = x(2t-1)u(2t-1)$$

b) Use the convolution theorem to find the Laplace transform of

$$y(t) = x_1(t) * x_2(t), \text{ if } x_1(t) = e^{-3t}u(t) \text{ and } x_2(t) = u(t-2)$$

SECTION - C

(Following Paper ID and Roll No. to be filled in your Answer Books)

Paper ID : 2289467

Roll No. 

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**B.TECH.**

**Regular Theory Examination (Odd Sem - III), 2016-17**  
**SIGNAL & SYSTEM**

Time : 3 Hours

Max. Marks : 100

**SECTION - A**

1. Attempt all parts. All parts carry equal marks. Write answer of each part in short. (10×2=20)

- a) Verify whether the given system described by the equation is linear and time-invariant.  $x(t) = t^2$
- b) Find the fundamental period of the given signal.

$$x(n) = \sin\left(\frac{6\pi n}{7} + 1\right)$$

- c) What is the relationship between Z transform and Fourier transform.
- d) State convolution property of Z transform.
- e) Find the fourier transform of

$$x(t) = \sin(\omega t) \cos(\omega t).$$



- f) Differentiate between CTFT & DTFT.
- g) Obtain the convolution of  $x(t) = u(t)$  and  $h(t) = 1$  for  $-1 \leq t \leq 1$
- h) Determine the auto-correlation function of the given signal.  $x(t) = e^{(-t)} u(t)$
- i) What are the necessary conditions for an LTI system to be stable?
- j) Write the S domain transfer function of a first order system.

**SECTION - B**

**Note :** Attempt any five questions from this section  
(5×10=50)

- 2. a) Given  $x(t) = 5 \cos t$ ,  $y(t) = 2e^{-t}$ , find the convolution of  $x(t)$  and  $y(t)$  using Fourier transform.
- b) If  $X(s) = \frac{2s+3}{(s+1)(s+2)}$  find  $x(t)$  for
  - a) System is stable
  - b) System is causal
  - c) System is non causal
- c) Determine the z-transform of following sequences with ROC
  - i)  $u[n]$
  - ii)  $-u[-n-1]$
  - iii)  $x[n] = a^n u[n] - b^n u[-n-1]$

- d) Define invertible system and state whether the following systems are invertible or not
  - i)  $y(n) = x(n)$
  - ii)  $y(n) = x^2(n)+1$
- e) Determine the impulse response function  $h(t)$  of an ideal BPF with passband gain of A and passband BW of B Hz centered on  $f_0$ . Hz and having a linear phase response.
- f) A discrete time system is given as  $y(n) = y^2(n-1)+x(n)$ . A bounded input of  $x(n) = 2n$  is applied to the system. Assume that the system is initially relaxed: Check whether the system is stable or unstable.
- g) Differentiate between the following :
  - i) Continuous time signal and discrete time signal.
  - ii) Periodic and aperiodic signals
  - iii) Deterministic and random signals
- h) Show that if  $x_3(t) = ax_1(t) + bx_2(t)$  then  $X_3(W) = aX_1(\omega) + bX_2(\omega)$

**SECTION - C**

**Note:** Attempt any two Questions from this section.  
(2×15=30)

- 3. The accumulator is excited by the sequence  $x[n] = nu[n]$ .